$\qquad$

1. (12 pts.) Describe what each of the following symmetry operations are.
a. an $S_{3}$ operation
2. $\qquad$
3. $\qquad$
b. a $\sigma_{h}$ operation
4. $\qquad$
c. a $\mathrm{C}_{2}$ operation
5. $\qquad$
6. $\qquad$
7. (16 pts.) Determine the point group for each of the following molecules. Wedge and dashed

| a. | b. |
| :---: | :---: |
| d. | d. |

6. $\qquad$

3D representations have been provided.
a. Perform $\mathrm{a}_{4}$ on the y axis that goes through the Pt atom

b. Perform an inversion through Re atom

c. Perform a reflection through the yz plane that contains the rhenium atom

3. (12 pts.) Perform the indicated operations on the following molecules, and draw a 3D representation, using wedge and dash notation where appropriate, for the resulting view.
4. ( 10 pts .) Determine the irreducible representation for the reducible representation listed at the bottom of the following character table.

| $\mathrm{T}_{\mathrm{d}}$ | E | $8 \mathrm{C}_{3}$ | $3 \mathrm{C}_{2}$ | $6 \mathrm{~S}_{4}$ | $6 \sigma_{\mathrm{d}}$ |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :--- | :--- | :---: | :---: |
| $\mathrm{A}_{1}$ | 1 | 1 | 1 | 1 | 1 |  | $\mathrm{x}^{2}+\mathrm{y}^{2}+\mathrm{z}^{2}$ |  |  |
| $\mathrm{~A}_{2}$ | 1 | 1 | 1 | -1 | -1 |  |  |  |  |
| E | 2 | -1 | 2 | 0 | 0 |  | $2 \mathrm{z}^{2}-\mathrm{x}^{2}-\mathrm{y}^{2}, \mathrm{x}^{2}-\mathrm{y}^{2}$ |  |  |
| $\mathrm{~T}_{1}$ | 3 | 0 | -1 | 1 | -1 | $\left(\mathrm{R}_{\mathrm{x}}, \mathrm{R}_{\mathrm{y}}, \mathrm{R}_{\mathrm{z}}\right)$ |  |  |  |
| $\mathrm{T}_{2}$ | 3 | 0 | -1 | -1 | 1 | $(\mathrm{x}, \mathrm{y}, \mathrm{z})$ | $(\mathrm{xy}, \mathrm{xz}, \mathrm{yz})$ |  |  |
| $\Gamma$ | 7 | 1 | 3 | 1 | 3 |  |  |  |  |

5. (10 pt.) Determine the number of CO stretching bands that you would expect to see in the IR spectrum of benzene tricarbonyl chromium. The molecule is in the $\mathrm{C}_{3 \mathrm{v}}$ point group.

6. In class, we determined that the total number of IR-active vibrational modes for water was three. (a. 8 pts.) Determine the number of $\mathrm{O}-\mathrm{H}$ stretching modes that are IR active for water, and (b. 2 pts.) compare this result to the conclusion that we reached in class; that is, are the results the same or different, explain.

| $\mathrm{C}_{2 \mathrm{~h}}$ | E | $\mathrm{C}_{2}$ | $i$ | $\sigma_{\mathrm{h}}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :--- | :--- |
| $\mathrm{A}_{\mathrm{g}}$ | 1 | 1 | 1 | 1 | $\mathrm{R}_{\mathrm{z}}$ | $\mathrm{x}^{2}, \mathrm{y}^{2}, \mathrm{z}^{2}, \mathrm{xy}$ |
| $\mathrm{B}_{\mathrm{g}}$ | 1 | -1 | 1 | -1 | $\mathrm{R}_{\mathrm{x}}, \mathrm{R}_{\mathrm{y}}$ | $\mathrm{xz}, \mathrm{yz}$ |
| $\mathrm{A}_{\mathrm{u}}$ | 1 | 1 | -1 | -1 | z |  |
| $\mathrm{B}_{\mathrm{u}}$ | 1 | -1 | -1 | 1 | $\mathrm{x}, \mathrm{y}$ |  |


| $\mathrm{C}_{2 \mathrm{v}}$ | E | $\mathrm{C}_{2}$ | $\sigma_{\mathrm{v}}(\mathrm{xz})$ | $\sigma_{\mathrm{v}}(\mathrm{yz})$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :--- | :--- |
| $\mathrm{A}_{1}$ | 1 | 1 | 1 | 1 | z | $\mathrm{x}^{2}, \mathrm{y}^{2}, \mathrm{z}^{2}$ |
| $\mathrm{~A}_{2}$ | 1 | 1 | -1 | -1 | $\mathrm{R}_{\mathrm{z}}$ | xy |
| $\mathrm{B}_{1}$ | 1 | -1 | 1 | -1 | $\mathrm{x}, \mathrm{R}_{\mathrm{y}}$ | xz |
| $\mathrm{B}_{2}$ | 1 | -1 | -1 | 1 | $\mathrm{y}, \mathrm{R}_{\mathrm{x}}$ | yz |


| $\mathrm{C}_{3 \mathrm{v}}$ | E | $2 \mathrm{C}_{3}$ | $3 \sigma_{\mathrm{v}}$ |  |  |
| :---: | :---: | :---: | :---: | :--- | :--- |
| $\mathrm{A}_{1}$ | 1 | 1 | 1 | z | $\mathrm{x}^{2}+\mathrm{y}^{2}, \mathrm{z}^{2}$ |
| $\mathrm{~A}_{2}$ | 1 | 1 | -1 | $\mathrm{R}_{\mathrm{z}}$ |  |
| E | 2 | -1 | 0 | $(\mathrm{x}, \mathrm{y}),\left(\mathrm{R}_{\mathrm{x}}, \mathrm{R}_{\mathrm{y}}\right)$ | $\left(\mathrm{x}^{2}-\mathrm{y}^{2}, \mathrm{xy}\right),(\mathrm{xz}, \mathrm{yz})$ |

Point Group Assignment Tree


$$
\left(\begin{array}{c}
\begin{array}{c}
\text { number of irreducible } \\
\text { representations of a given } \\
\text { type needed }
\end{array}
\end{array}\right)=\frac{1}{\text { order }} \Sigma_{\text {classes }}\binom{\# \text { operations }}{\text { in class }}\binom{x \text { of the irreducible }}{\text { representation }}\binom{\chi \text { of the reducible }}{\text { representation }}
$$

