## (17) **Today**

5.1 Formation of Molecular Orbitals

5.2 Homonuclear Diatomic Molecules

## Next Class (18)

5.2 Homonuclear Diatomic Molecules

5.3 Heteronuclear Diatomic Molecules

## (19) Second Class from Today

5.3 Heteronuclear Diatomic Molecules

5.4 Polyatomic Molecules

Third Class from Today (20)

5.3 Heteronuclear Diatomic Molecules

5.4 Polyatomic Molecules

## Please rework test 1 and hand in on Monday, Oct 23

Introduce MOs (s, p, d orbital interactions)

**Diatomic Molecules and Orbital Mixing** 

Heteronuclear Diatomic Molecules

Polyatomic molecules

Molecular Orbitals: molecules as Atomic orbitals: atoms Section 5.1 Molecular Orbitals: molecules as Atomic orbitals: atoms Section 5.1 Hamiltonian Schrödinger Equation H = F = F = F = 5 can be solved for  $H = ip^{+} + ie^{-}$ Must be approximated for  $He = 2ip^{+} + e^{-} + e^{-}$  because  $e^{-} = e^{-}$  intractions

Symmetry must be such that regions with the same sign or opposite sign overlap but not regions of both signs

The energies of the orbitals must be similar

When the energies are significantly different, the overlap is ineffective in

substantially lowering the energy of the electrons

The distance between the atoms must be short enough to allow for good overlap

He use is orbitals  
sorbital interactions  
IF 2 is orbitals are being used to make molecular orbitals  
2 molecular orbitals are being used to make molecular orbitals  
2 molecular orbitals are being used to make molecular orbitals  
3 molecular orbitals are being used to make molecular orbitals  
a hibmding thigher in E  
and hibmding thigher in E  
and hibmding thigher in E  
lower probability of  
iower probability of  
iower probability of  
iower probability of  
iower probability of  
a lobe with a lobe with  
a lobe with a holder with  
a lobe with a negative phase  
cylinderically  
$$\Psi(\sigma) = N[ca\Psi(1s_0) - cb\Psi(1s_0)]$$
 antibarding  
 $\Psi(\sigma) = N[ca\Psi(1s_0) - cb\Psi(1s_0)]$  antibarding  
 $(ca\Psi(\sigma) = N[ca\Psi(1s_0) - cb\Psi(1s_0)]$  buding  
 $(ca\Psi(1s_0) - cb\Psi(1s_0) - cb\Psi(1s_0)]$  buding  
 $(ca\Psi(1s_0) - cb\Psi(1s_0)$ 

porbital interactions con either

Section 5.1

