

relationship between M to LG bond strength + rate

Kinetics

$$k = Ae^{-E_a/RT}$$

$$\ln k = \ln A - E_a/RT$$

Thermodynamics

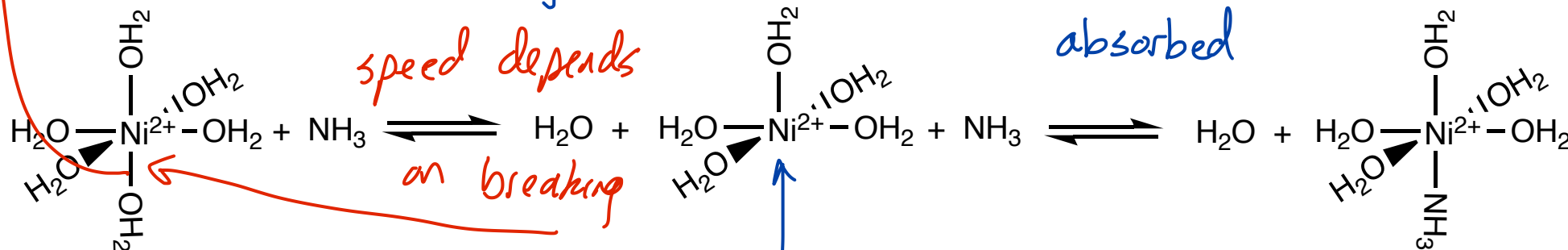
$$\Delta G^\circ = \Delta H^\circ - T\Delta S^\circ \text{ and } \Delta G^\circ = -RT \ln K$$

$$\text{and } \ln K = -\Delta H^\circ/(RT) + \Delta S^\circ/R$$

If A and ΔS° are nearly constant, and E_a depends on ΔH° then a plot of $\ln k$ vs $\ln K$ should be linear

change in entropy

heat released or absorbed



Charge LG slightly
 Cl^- , Br^- , I^-

lost the ligand to metal bond

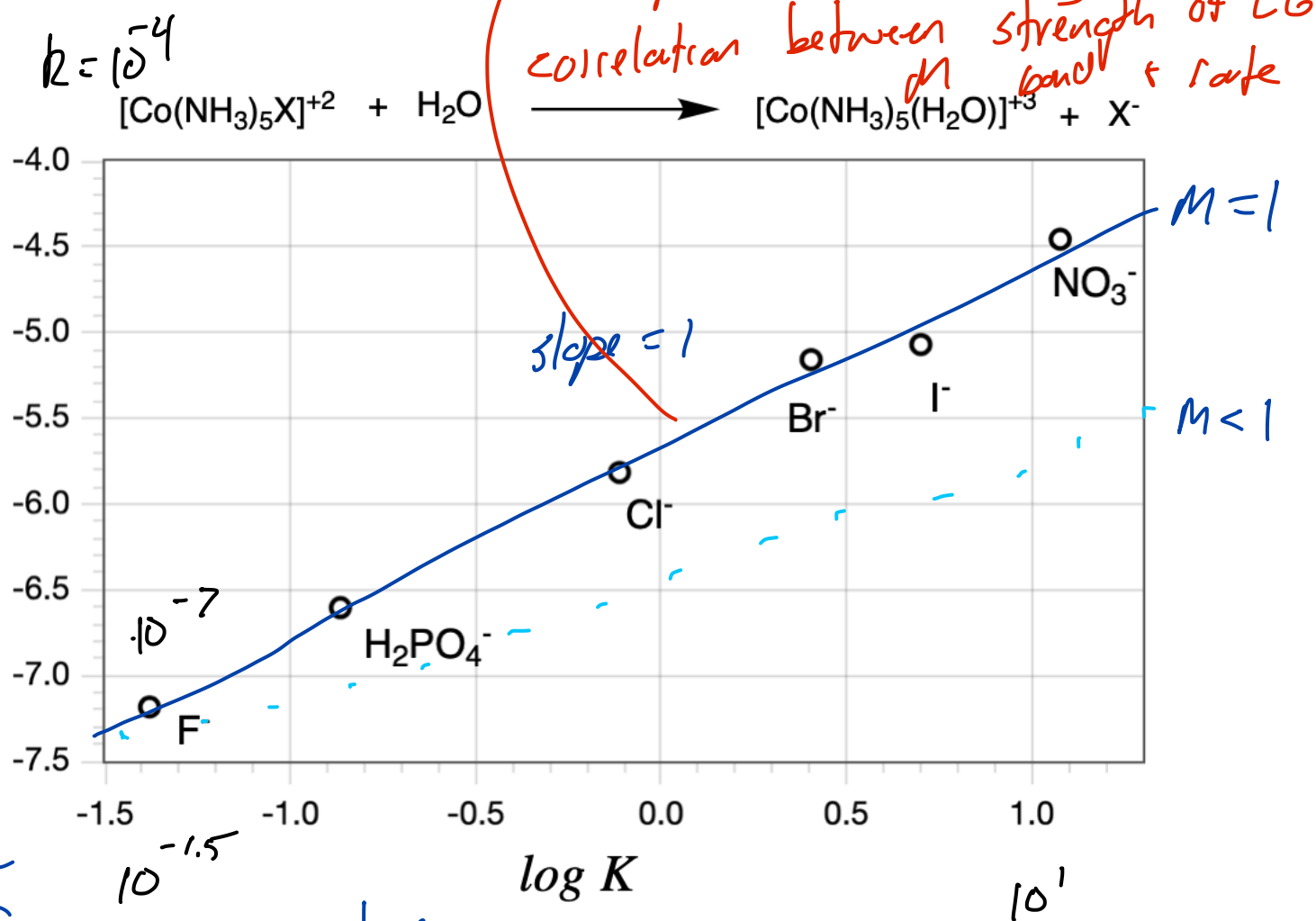
the stronger the bond the harder it is
 for the reaction to proceed
 which means the slower it will go
 As K gets larger k becomes smaller

Dissociative Mechanism Linear Free-Energy Relationships

Section 12.4

Straight line with
a slope of
1... then there
is a strong
relationship
between the
strength of the

bond & the rate
and evidence for a dissociative rxn



evidence

Associative Mechanisms

Ligand... meaning ligand

LG... leaving group

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Rate Constants for Reactions with indicated Metal Complex ¹		
Incoming Ligand	$[\text{Cr}(\text{H}_2\text{O})_6]^{3+}$ k ($10^{-8} \text{ M}^{-1} \text{ s}^{-1}$)	$[\text{Cr}(\text{NH}_3)_5\text{H}_2\text{O}]^{3+}$ k ($10^{-4} \text{ M}^{-1} \text{ s}^{-1}$)
NCS ⁻	180	4.2
NO ₃ ⁻	73	no data
Cl ⁻	2.9	0.7
Br ⁻	1.0	3.7
I ⁻	0.08	no data
CF ₃ COO ⁻	no data	1.4

k change dramatically
with changing incoming
ligand

* Incoming ligand is participating in
the formation of the transition
state because we see a large

↑
 k are similar... within
an order of magnitude
consistent with a
dissociative mechanism

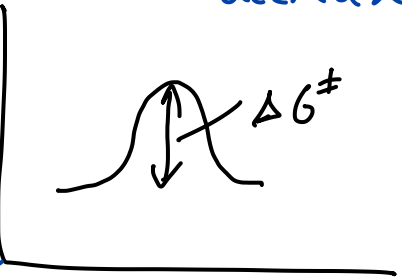
¹Data from Miessler and Tarr, Inorganic Chemistry 4th Ed, page 455

change in rate with change in incoming ligand

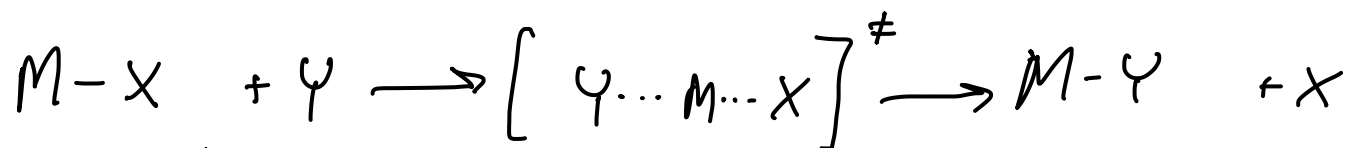
Associative Mechanisms

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how does entropy relate
to associative & dissociative mechanisms
 $\Delta S^\ddagger$?



$\ddagger$ means transition state



more ordered

or
less ordered
than

$$\Delta S^\ddagger < 0 \text{ neg}$$

S of transition state
is lower than
S of reactions

$\Delta V^\ddagger$ associative $2 \rightarrow 1$ $\Delta V^\ddagger < 0$

$\Delta V^\ddagger$ dissociative $2 \rightarrow 3$ $\Delta V^\ddagger > 0$

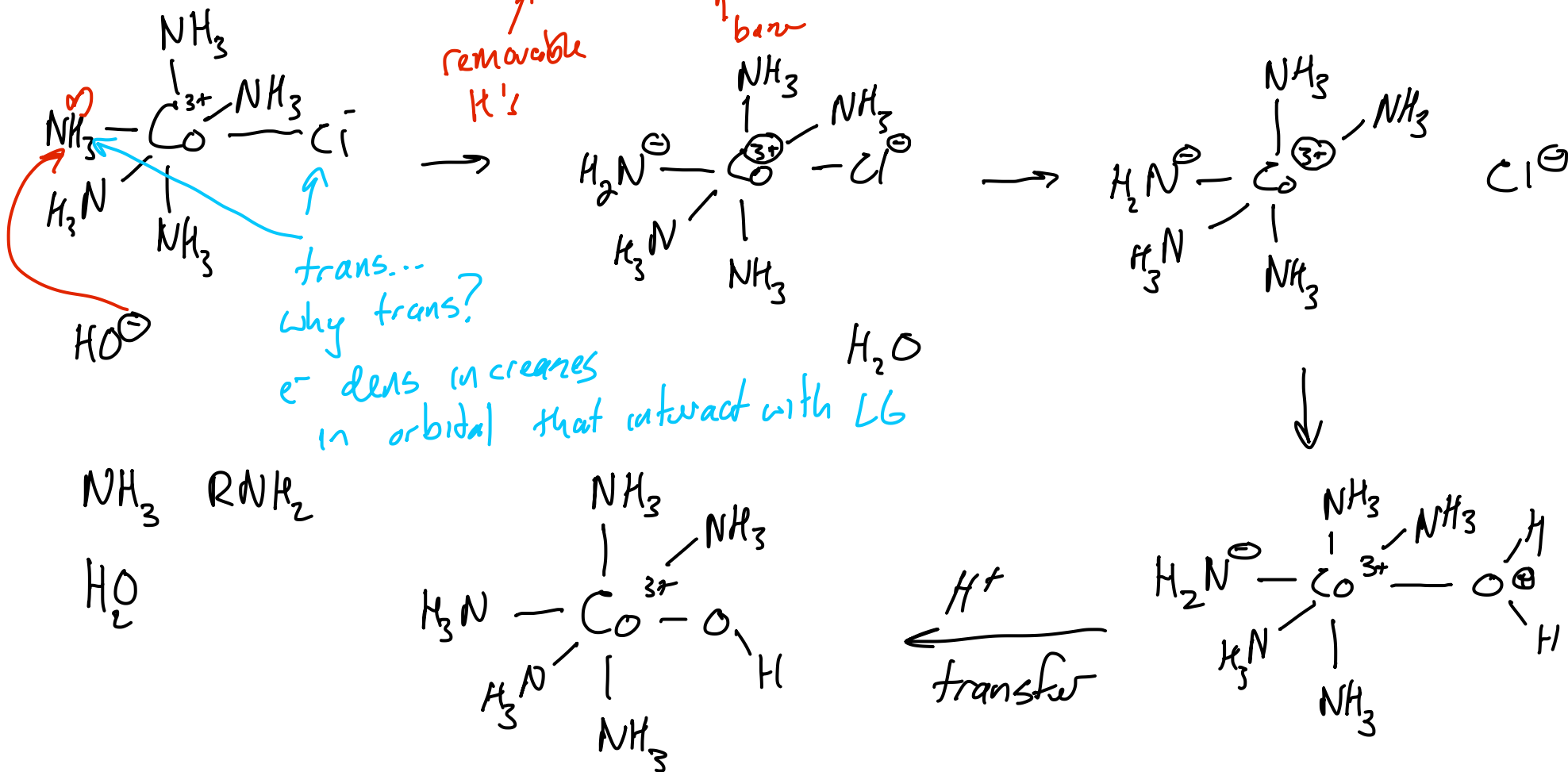
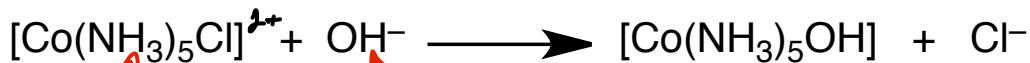
A Reaction thought to Be Associative but Was't

similarity to associative

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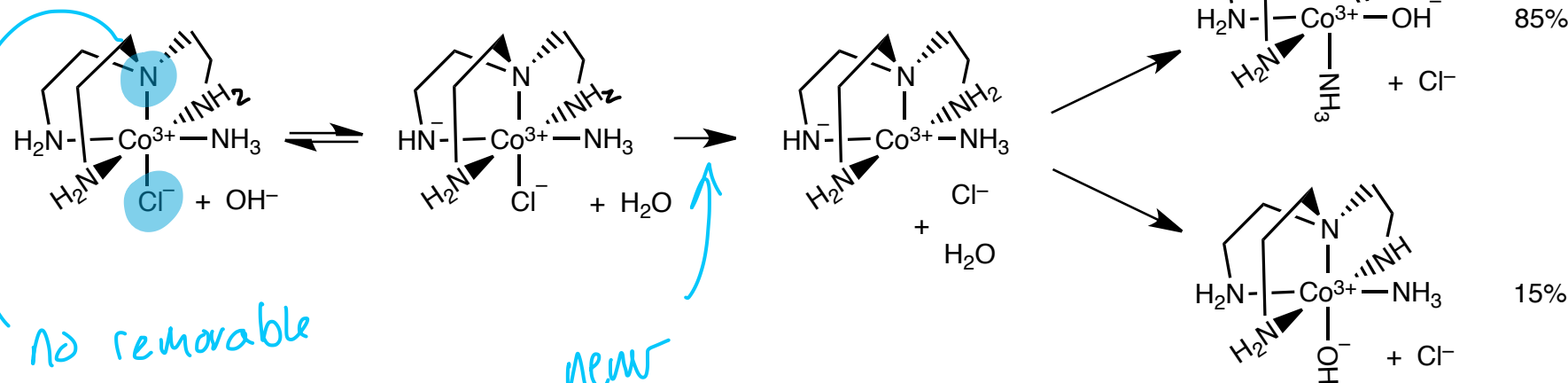
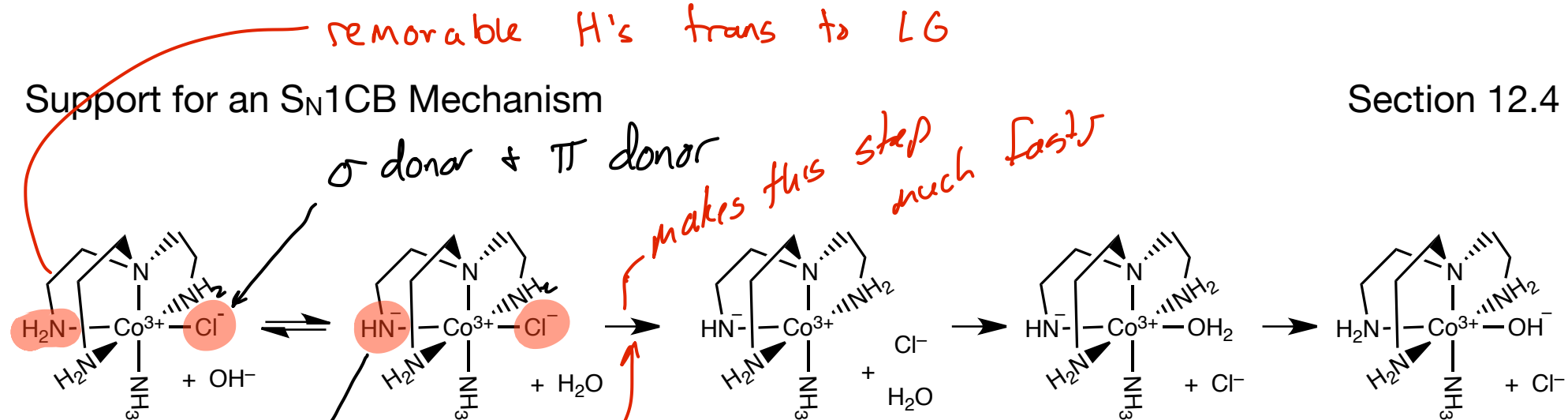
aqueous

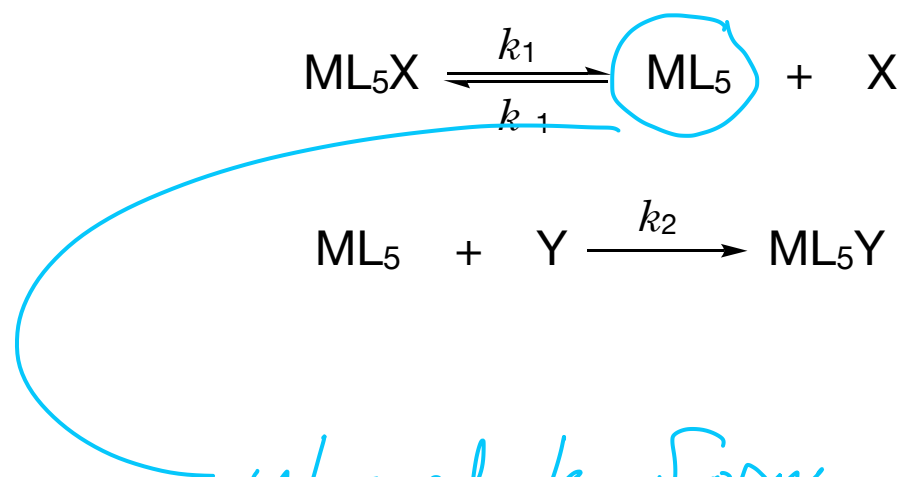
$$\text{rate} = k [\text{M}] [\text{OH}^-]$$



$\text{S}_{\text{N}}1\text{CB}$

conjugate base

Support for an S_N1CB Mechanism



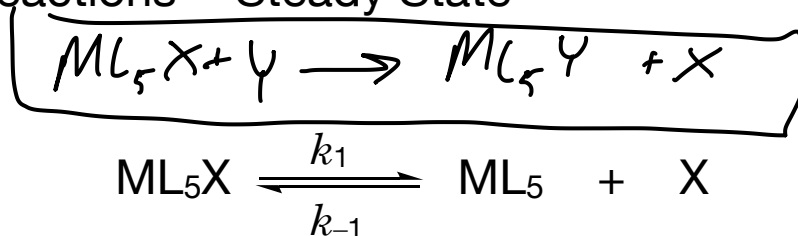
intermediate forms
and is consumed

(must be able to
see or trap the
intermediate)

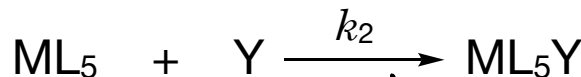
assumption is that ML_5 forms as quickly as it
is consumed

Mechanisms make predictions...

Mechanisms predict the kinetics... the rate law



change in ML_5Y
conc



assuming $k_2 \gg k_{-2}$

reaction rate = $\frac{d[ML_5Y]}{dt} = k_2 [ML_5][Y]$

actual exponent must be determined experimentally

change in
time

the rate at which ML_5 forms = rate at which it is consumed
rate formation

$$k_1 [ML_5X] = k_{-1} [ML_5][X] + k_2 [ML_5][Y]$$

rate of formation = rate of consumption

$$k_1 [ML_5 X] = k_{-1} [ML_5] [X] + k_2 [ML_5] [Y]$$

rate of formation = rate of consumption

$$k_1 [ML_5 X] = (k_{-1} [X] + k_2 [Y]) [ML_5]$$

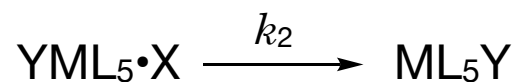
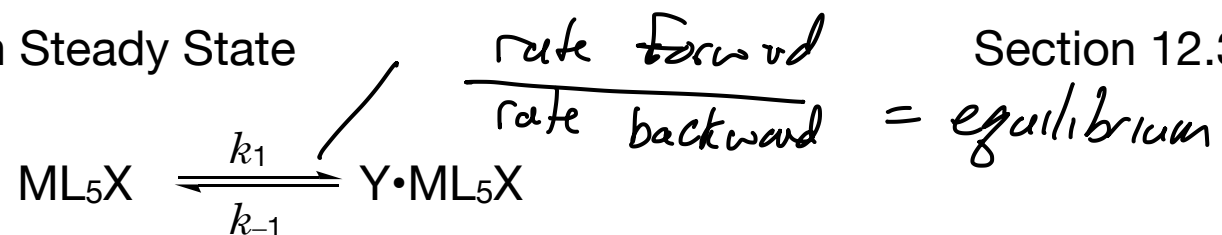
$$\frac{k_1 [ML_5 X]}{k_{-1} [X] + k_2 [Y]} = [ML_5]$$

$$\text{rate} = \frac{k_2 \boxed{k_1 [ML_5 X]} [Y]}{\boxed{k_{-1} [X] + k_2 [Y]}} = \frac{d [ML_5 Y]}{dt}$$

initial rate $[X]=0$ $\text{rate} = \frac{\cancel{k_2} k_1 [ML_5 X] \cancel{[Y]}}{\underset{0}{\cancel{k_{-1} [X]} + \cancel{k_2 [Y]}}} 1 [Y]^0$

Rate Laws: Interchange Reaction Steady State

Section 12.3



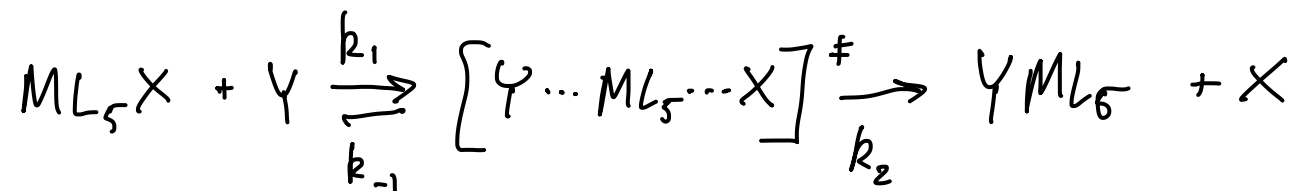
$$\frac{d[\text{ML}_5\text{Y}]}{dt} = \frac{k_1 K_1 [\text{M}]_0 [\text{Y}]_0}{1 + K_1 [\text{Y}]_0}$$

where $[\text{M}]_0$ is the total amount of metal complex present and initially

$$[\text{M}]_0 = [\text{ML}_5\text{X}] + [\text{Y} \cdot \text{ML}_5\text{X}]$$

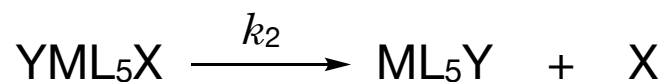
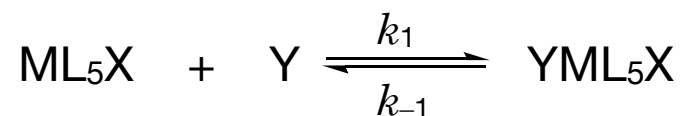
$[\text{Y}]_0$ is approximately $= [\text{Y}]$

$$\text{and } K_1 = k_1/k_{-1}$$



Rate Laws: Associative Reaction

Section 12.3



intermediate forms
must be observed
or trap it.
otherwise it could
be I_a

$$\frac{d[\text{ML}_5\text{Y}]}{dt} = \frac{k_1 k_2 [\text{ML}_5\text{X}][\text{Y}]}{k_{-1} + k_2}$$

Rate Laws:

Section 12.3

dependence on
different species

Associative Reaction

$$\frac{d[\text{ML}_5\text{Y}]}{dt} = \frac{k_1 k_2 [\text{ML}_5\text{X}][\text{Y}]}{k_{-1} + k_2}$$

always 1st order with respect to [Y]

Interchange

as [Y] goes from
dilute to concentrated
order with respect to [Y]
goes from 1 to less than 1

Dissociative

$$\frac{d[\text{ML}_5\text{Y}]}{dt} = \frac{k_1 K_1 [\text{M}]_0 [\text{Y}]_0}{1 + K_1 [\text{Y}]_0}$$

1 + 0.001
1 + 1

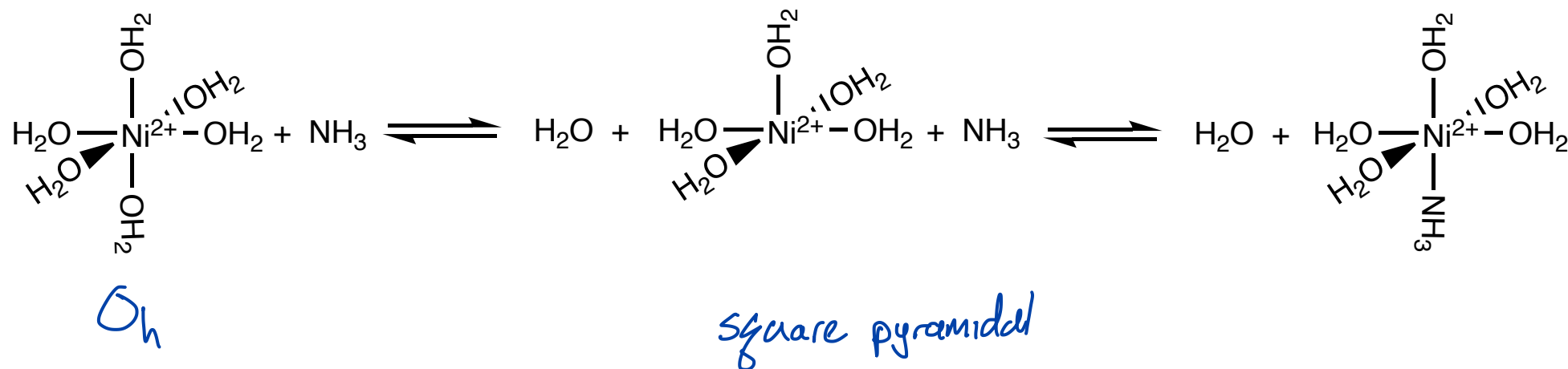
intermediate between
1st and 0 order
in [Y]₀

$$\frac{d[\text{ML}_5\text{Y}]}{dt} = \frac{k_1 k_2 [\text{ML}_5\text{X}][\text{Y}]}{k_{-1}[\text{X}] + k_2[\text{Y}]}$$

↑ [X] (LG) slows
rate

initial rate is zero order with respect to
[X] and [Y]

adding X to the reaction will slow the initial rate



LFSE

↑ ligand field stabilization energy
Oxidation state

LFSE = activation energy

Size of Ion

High oxidation state

slower

+3 attracts ligand more strongly

LG has a harder time leaving

Low Oxidation State

+1 attracts ligand less strongly

faster

slower

Smaller Ion

+2 Strong attraction

Larger Ion

+2 less attraction

1. Rate of reaction changes only slightly with changes in incoming ligand
2. Making metal reactant charge more positive slows rate
3. Bulky ligands increase rate
4. Rate of reaction correlates with metal to leaving group bond strength
5. Activation entropies are favorable

for example



or

