

**(21) Today**

5.4 Polyatomic Molecules

**Next Class (22)**

Chap 6 Acid-Base and Donor-Acceptor Chemistry

**(23) Second Class from Today**

Chap 6 Acid-Base and Donor-Acceptor Chemistry

**Third Class from Today (24)**

Chap 6 Acid-Base and Donor-Acceptor Chemistry

*Test 2 postponed to 11/6*

Office hours postponed to 12:30 to 1:15

~~Introduce MOs (s, p, d orbital interactions)~~

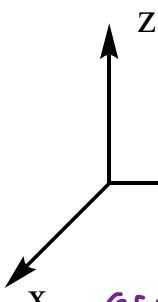
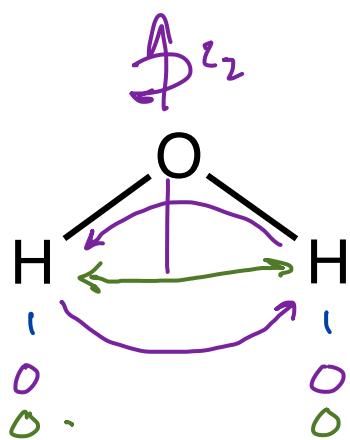
~~Diatomeric Molecules and Orbital Mixing~~

~~Heteronuclear Diatomic Molecules~~

Polyatomic molecules

MO Diagram for H<sub>2</sub>O: SALCs

We use character tables to determine the symmetry of the SALC's formed from H's 1s orbitals



the  
reducible  
representation  
for the  
group orbitals made  
from H's 1s<sub>r</sub>

C <sub>2v</sub>	E	C <sub>2</sub>	$\sigma_v(xz)$	$\sigma_v(yz)$		
A <sub>1</sub>	1	1	1	1	z	$x^2, y^2, z^2$
A <sub>2</sub>	1	1	-1	-1	R <sub>z</sub>	xy
B <sub>1</sub>	1	-1	1	-1	x, R <sub>y</sub>	xz
B <sub>2</sub>	1	-1	-1	1	y, R <sub>x</sub>	yz

1. Find point group for molecule
2. Find reducible representation for orbitals that make up the SALC
3. Find irreducible representations that combine to form the reducible representation

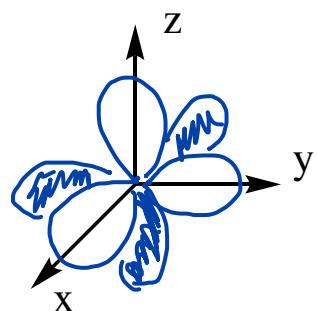
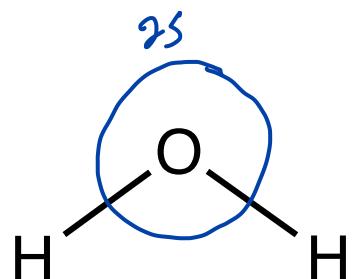
$$2 \text{ } 1s^1 \rightarrow 2 \text{ SALC's with } A_1 + B_2$$

the back of the 1s orbital is reflected to the front,  
so there is no change in position  
since 1s is  $\Theta$  phase all the way around there is no change in sign

# MO Diagram for H<sub>2</sub>O: SALCs

For the central atom use the matching functions

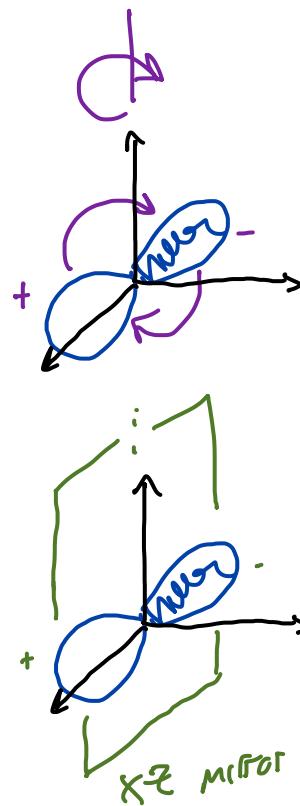
Section 5.4



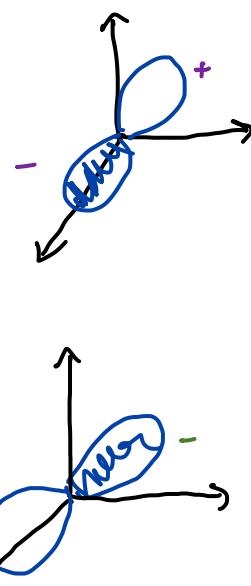
C <sub>2v</sub>	E	C <sub>2</sub>	$\sigma_v(xz)$	$\sigma_v(yz)$		
A <sub>1</sub>	1	1	1	1	z	$x^2, y^2, z^2$
A <sub>2</sub>	1	1	-1	-1	R <sub>z</sub>	xy
B <sub>1</sub>	1	-1	1	-1	x, R <sub>y</sub>	xz
B <sub>2</sub>	1	-1	-1	1	y, R <sub>x</sub>	yz

$$B_1 = \begin{matrix} 1 & 1 & -1 & 1 & -1 \end{matrix}$$

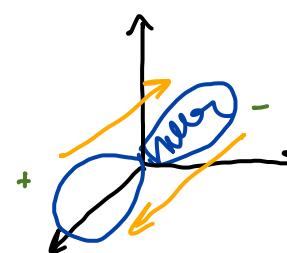
What is the symmetry of the 2p<sub>x</sub> orbital?



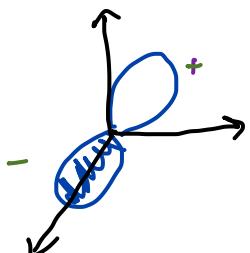
180°  
rotation  
on Z



reflect  
on  
plane  
perp  
to screen



reflect  
on  
plane  
that is  
the screen



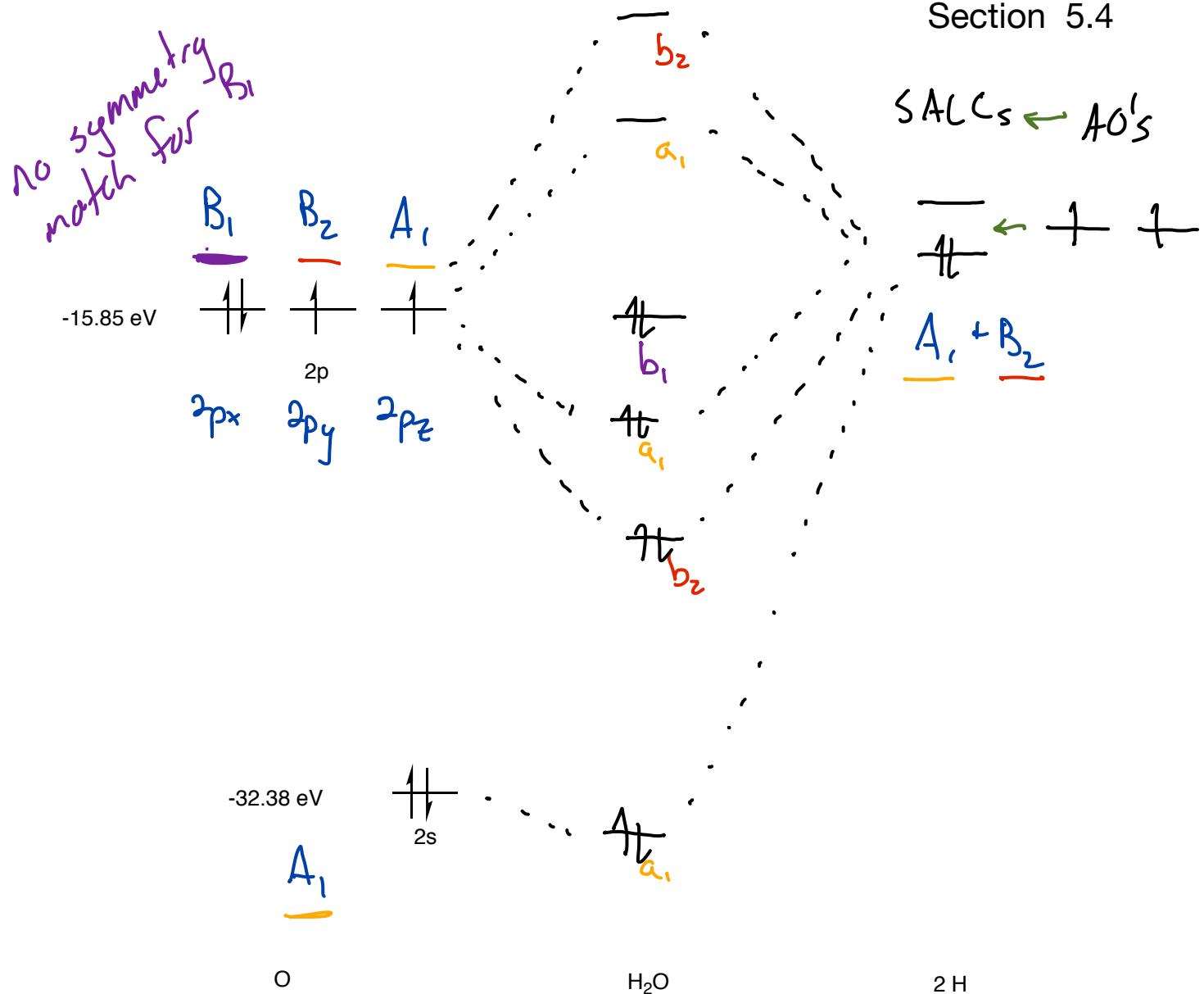
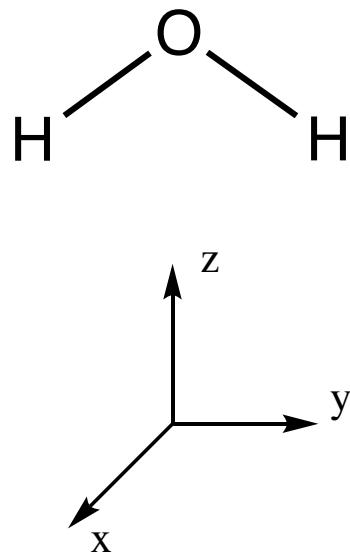
$$2p_z = z = A_1$$

$$2p_y = y = B_2$$

$$2p_x = x = B_1$$

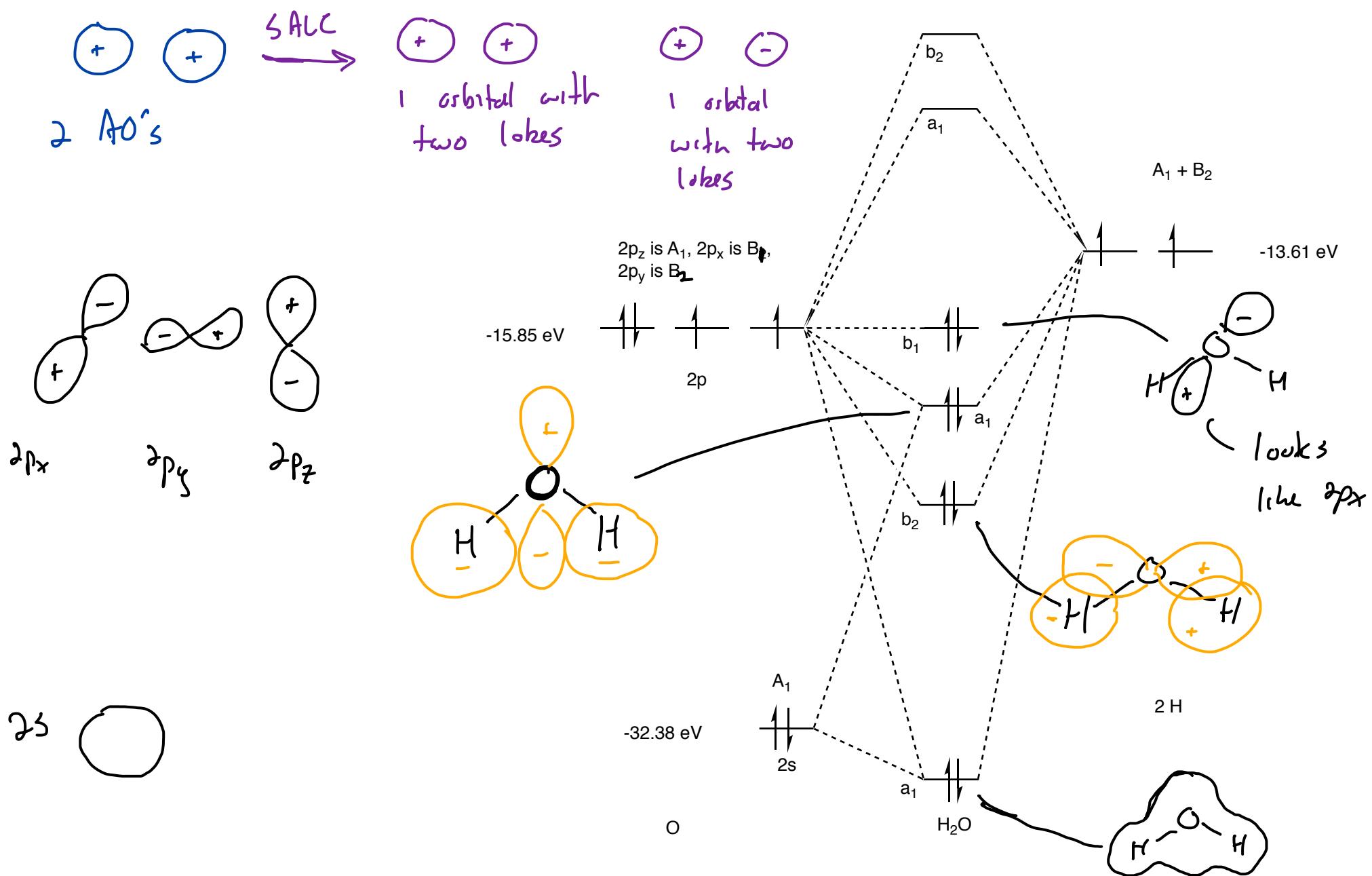
$$2s = \text{spherically symmetric} = A_1 \\ = \text{all } x \text{ are 1's}$$

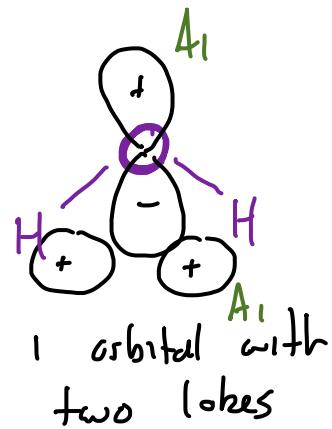
# MO Diagram for H<sub>2</sub>O



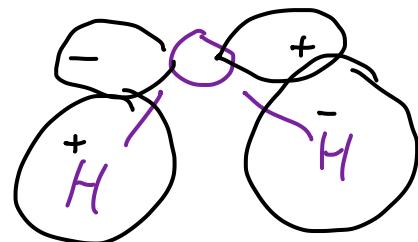
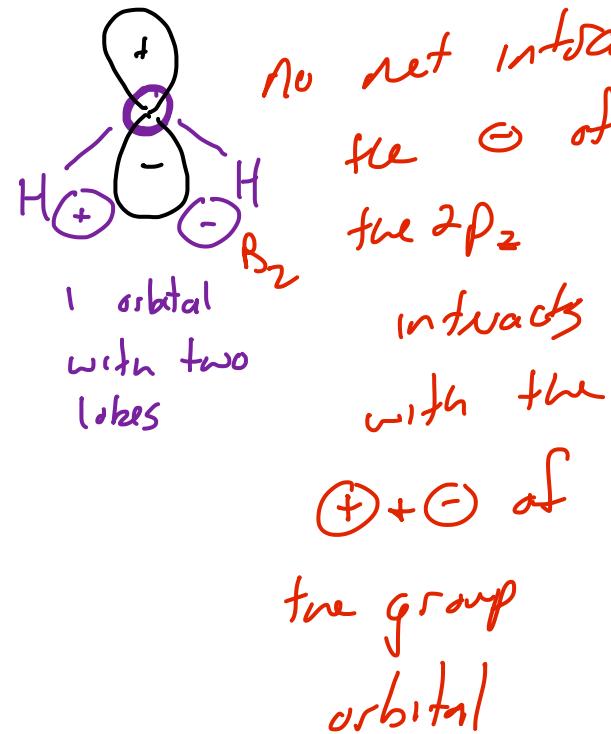
# Interpreting the MO Diagram for H<sub>2</sub>O

## Section 5.4





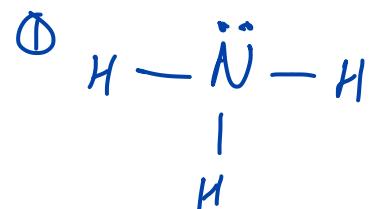
this is fine  
 $\ominus$  of  $2p_z$   
 only interacts  
 with  $\oplus$  of  
 group orbital



adding would cause destructive  
 interference

subtracting would cause constructive  
 interference

① Lewis Structure



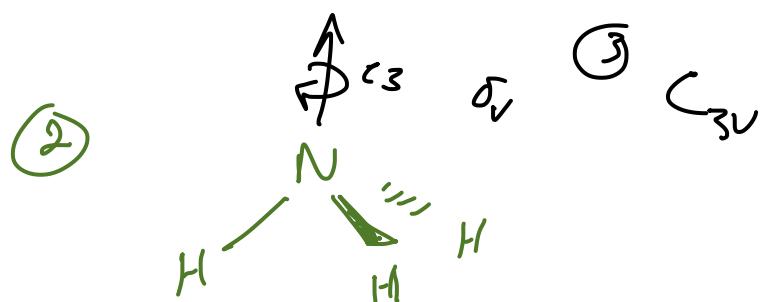
② Use VSEPR Rules to Determine the Shape

③ Find Point Group

④ Determine Symmetry of Symmetry Adapted Linear Combinations of the three 1s orbitals on the three H atoms

⑤ Find Orbitals on N with Matching Symmetry

Add and Subtract Orbitals to From Molecular Orbitals



Polyatomic Molecules: NH<sub>3</sub>

## Section 5.4

C <sub>3v</sub>	E	2 C <sub>3</sub>	3 σ <sub>v</sub>		
A <sub>1</sub>	1	1	1	(z) 5	x <sup>2</sup> + y <sup>2</sup> , z <sup>2</sup>
A <sub>2</sub>	1	1	-1	R <sub>z</sub>	
E	2	-1	0	(x, y), (R <sub>x</sub> , R <sub>y</sub> )	(x <sup>2</sup> - y <sup>2</sup> , xy), (xz, yz)

① Γ 3 0 1

N 2S A<sub>1</sub>  
 N 2P<sub>Z</sub> A<sub>1</sub>  
 N 2P<sub>X</sub>, 2P<sub>Y</sub> = E

$$\Gamma = A_1 + E \quad (\text{by inspection})$$

$$\#A_1 = \frac{1}{6} (1 \cdot 1 \cdot 3 + 2 \cdot 1 \cdot 0 + 3 \cdot 1 \cdot 1) = 1$$

$$\#A_2 = \frac{1}{6} (1 \cdot 1 \cdot 3 + 2 \cdot 1 \cdot 0 + 3 \cdot -1 \cdot 1) = 0 \quad \left. \begin{array}{l} \text{by linear algebra} \\ \hline \end{array} \right\}$$

$$\#E = \frac{1}{6} (1 \cdot 2 \cdot 3 + 2 \cdot -1 \cdot 0 + 3 \cdot 0 \cdot 1) = 1$$

